

# Heavy vector-like quarks

## Constraints and phenomenology at the LHC

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# Outline

- 1 Motivations and Current Status
- 2 The effective lagrangian
- 3 Constraints on model parameters
- 4 Signatures at LHC

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and where do they appear?

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- SM chiral quarks: ONLY left-handed charged currents

$$J^{\mu+} = J_L^{\mu+} + J_R^{\mu+} \quad \text{with} \quad \begin{cases} J_L^{\mu+} = \bar{u}_L \gamma^\mu d_L = \bar{u} \gamma^\mu (1 - \gamma^5) d = V - A \\ J_R^{\mu+} = 0 \end{cases}$$

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- vector-like quarks: BOTH left-handed and right-handed charged currents

$$J^{\mu+} = J_L^{\mu+} + J_R^{\mu+} = \bar{u}_L \gamma^\mu d_L + \bar{u}_R \gamma^\mu d_R = \bar{u} \gamma^\mu d = V$$



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## Vector-like quarks in many models of New Physics

- **Warped or universal extra-dimensions**  
KK excitations of bulk fields
- **Composite Higgs** models  
VLQ appear as excited resonances of the bounded states which form SM particles
- **Little Higgs** models  
partners of SM fermions in larger group representations which ensure the cancellation of divergent loops
- **Gauged flavour group** with low scale gauge flavour bosons  
required to cancel anomalies in the gauged flavour symmetry
- **Non-minimal SUSY extensions**  
VLQs increase corrections to Higgs mass without affecting EWPT

# SM and a vector-like quark

$$\mathcal{L}_M = -M\bar{\psi}\psi$$

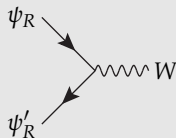
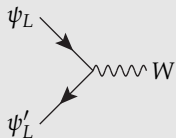
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Charged currents both in the left and right sector

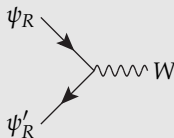
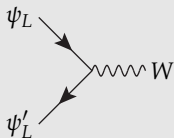


# SM and a vector-like quark

$$\mathcal{L}_M = -M\bar{\psi}\psi$$

Gauge invariant mass term without the Higgs

Charged currents both in the left and right sector



They can mix with SM quarks

$$t' \longrightarrow \times \longrightarrow u_i$$

$$b' \longrightarrow \times \longrightarrow d_i$$

Dangerous FCNCs  $\longrightarrow$  strong bounds on mixing parameters

BUT

Many open channels for **production** and **decay** of heavy fermions

Rich phenomenology to explore at LHC

# Searches at the LHC

## Overview of ATLAS searches

from ATLAS Twiki page

<https://twiki.cern.ch/twiki/bin/view/AtlasPublic/CombinedSummaryPlots>

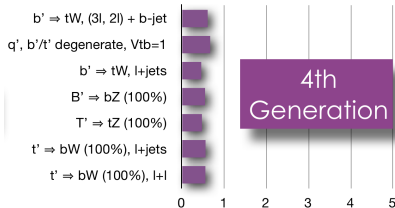
New quarks

4 <sup>th</sup> generation : $t't' \rightarrow WbWb$	$L=4.7 \text{ fb}^{-1}, 7 \text{ TeV}$ [Preliminary]	656 GeV	$t'$ mass
4 <sup>th</sup> generation : $b'b'(T_{5/3}, T_{5/3}) \rightarrow WtWt$	$L=4.7 \text{ fb}^{-1}, 7 \text{ TeV}$ [ATLAS-CONF-2012-130]	670 GeV	$b'$ ( $T_{5/3}$ ) mass
New quark $b' : b'b' \rightarrow Zb+X, m_{Zb}$	$L=2.0 \text{ fb}^{-1}, 7 \text{ TeV}$ [1204.1265]	400 GeV	$b'$ mass
Top partner : $TT \rightarrow tt + A_0 A_0$ (dilepton, $M_{12}^{Zb}$ )	$L=4.7 \text{ fb}^{-1}, 7 \text{ TeV}$ [1209.4186]	483 GeV	$T$ mass ( $m(A_0) < 100 \text{ GeV}$ )
Vector-like quark : $CC, m_{Vq}$	$L=4.6 \text{ fb}^{-1}, 7 \text{ TeV}$ [ATLAS-CONF-2012-137]	1.12 TeV	VLQ mass (charge -1/3, coupling $\kappa_{q0} = v/m_0$ )
Vector-like quark : $NC, m_{Vq}$	$L=4.6 \text{ fb}^{-1}, 7 \text{ TeV}$ [ATLAS-CONF-2012-137]	1.08 TeV	VLQ mass (charge 2/3, coupling $\kappa_{q0} = v/m_0$ )

## Overview of CMS searches

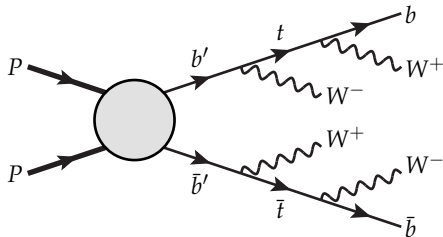
from CMS Twiki page

<https://twiki.cern.ch/twiki/bin/view/CMSPublic/PhysicsResultsEXO>



But look at the hypotheses ...

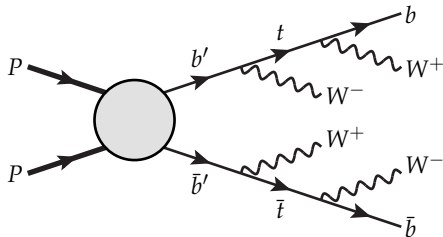
## Example: $b'$ pair production



Common assumption  
 $BR(b' \rightarrow tW) = 100\%$

Searches in the  
same-sign dilepton channel  
(possibly with b-tagging)

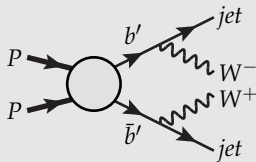
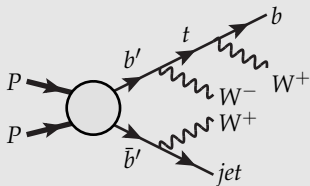
## Example: $b'$ pair production



Common assumption  
 $BR(b' \rightarrow tW) = 100\%$

Searches in the  
same-sign dilepton channel  
(possibly with b-tagging)

If the  $b'$  decays both into  $Wt$  and  $Wq$



There can be less events in the same-sign dilepton channel!

# Representations and lagrangian terms

**Assumption:** vector-like quarks couple with SM quarks through Yukawa interactions



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	SM	Singlets	Doublets	Triplets
	$\begin{pmatrix} u \\ d \end{pmatrix} \begin{pmatrix} c \\ s \end{pmatrix} \begin{pmatrix} t \\ b \end{pmatrix}$	$\begin{pmatrix} U \\ D \end{pmatrix}$	$\begin{pmatrix} X \\ U \end{pmatrix} \begin{pmatrix} U \\ D \end{pmatrix} \begin{pmatrix} D \\ Y \end{pmatrix}$	$\begin{pmatrix} X \\ U \\ D \end{pmatrix} \begin{pmatrix} U \\ D \\ Y \end{pmatrix}$
$SU(2)_L$	2 and 1	1	2	3
$U(1)_Y$	$q_L = 1/6$ $u_R = 2/3$ $d_R = -1/3$	2/3    -1/3	7/6    1/6    -5/6	2/3    -1/3
$\mathcal{L}_Y$	$-y_u^i \bar{q}_L^i H^c u_R^i$ $-y_d^i \bar{q}_L^i V_{CKM}^{ij} H d_R^j$	$-\lambda_u^i \bar{q}_L^i H^c U_R$ $-\lambda_d^i \bar{q}_L^i H D_R$	$-\lambda_u^i \psi_L H^{(c)} u_R^i$ $-\lambda_d^i \psi_L H^{(c)} d_R^i$	$-\lambda_i \bar{q}_L^i \tau^a H^{(c)} \psi_R^a$

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	SM	Singlets	Doublets	Triplets
	$\begin{pmatrix} u \\ d \end{pmatrix} \begin{pmatrix} c \\ s \end{pmatrix} \begin{pmatrix} t \\ b \end{pmatrix}$	$\begin{pmatrix} t' \\ b' \end{pmatrix}$	$\begin{pmatrix} X \\ t' \end{pmatrix} \begin{pmatrix} t' \\ b' \end{pmatrix} \begin{pmatrix} b' \\ Y \end{pmatrix}$	$\begin{pmatrix} X \\ t' \\ b' \end{pmatrix} \begin{pmatrix} t' \\ b' \\ Y \end{pmatrix}$
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$\mathcal{L}_Y$	$-\frac{y_u^i v}{\sqrt{2}} \bar{u}_L^i u_R^i$ $-\frac{y_d^j v}{\sqrt{2}} \bar{d}_L^j V_{CKM}^{ij} d_R^j$	$-\frac{\lambda_u^i v}{\sqrt{2}} \bar{u}_L^i U_R$ $-\frac{\lambda_d^j v}{\sqrt{2}} \bar{d}_L^j D_R$	$-\frac{\lambda_u^i v}{\sqrt{2}} U_L u_R^i$ $-\frac{\lambda_d^j v}{\sqrt{2}} D_L d_R^j$	$-\frac{\lambda_i v}{\sqrt{2}} \bar{u}_L^i U_R$ $-\lambda_i v \bar{d}_L^i D_R$

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$\mathcal{L}_m$		$-M \bar{\psi} \psi$ (gauge invariant since vector-like)		
Free parameters		4 $M + 3 \times \lambda^i$	4 or 7 $M + 3\lambda_u^i + 3\lambda_d^i$	4 $M + 3 \times \lambda^i$

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# Mixing between VL and SM quarks

## Flavour and mass eigenstates

$$\begin{pmatrix} \tilde{u} \\ \tilde{c} \\ \tilde{t} \\ U \end{pmatrix}_{L,R} = V_{L,R}^u \begin{pmatrix} u \\ c \\ t \\ t' \end{pmatrix} \quad \text{and} \quad \begin{pmatrix} \tilde{d} \\ \tilde{s} \\ \tilde{b} \\ D \end{pmatrix}_{L,R} = V_{L,R}^d \begin{pmatrix} d \\ s \\ b \\ b' \end{pmatrix}$$

The exotics  $X_{5/3}$  and  $Y_{-4/3}$  do not mix  $\rightarrow$  no distinction between flavour and mass eigenstates

$$\mathcal{L}_{y+M} = (\tilde{u} \tilde{c} \tilde{t} \bar{U})_L \mathcal{M}_u \begin{pmatrix} \tilde{u} \\ \tilde{c} \\ \tilde{t} \\ U \end{pmatrix}_R + (\tilde{d} \tilde{s} \tilde{b} \bar{D})_L \mathcal{M}_d \begin{pmatrix} \tilde{d} \\ \tilde{s} \\ \tilde{b} \\ D \end{pmatrix}_R + h.c.$$

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## Mixing matrices depend on representations

- Singlets and triplets:

$$\mathcal{M}_u = \begin{pmatrix} \tilde{m}_u & & x_1 \\ & \tilde{m}_c & x_2 \\ & & \tilde{m}_t \\ & & & M \end{pmatrix} \quad \mathcal{M}_d = \left( \frac{\tilde{V}_L^{\text{CKM}} \begin{pmatrix} \tilde{m}_d & & \\ & \tilde{m}_s & \\ & & \tilde{m}_b \end{pmatrix} \tilde{V}_R^{\text{CKM}} \begin{array}{l} x_1 \\ x_2 \\ x_3 \\ M \end{array}}{\quad} \right)$$

- Doublets:  $\mathcal{M}_{u,d}^{4I} \leftrightarrow \mathcal{M}_{u,d}^{I4}$

# Mixing matrices

$$\mathcal{L}_m = (\bar{u} \bar{c} \bar{t} \bar{t}')_L (V_L^u)^\dagger \mathcal{M}_u (V_R^u) \begin{pmatrix} u \\ c \\ t \\ t' \end{pmatrix}_R + (\bar{d} \bar{s} \bar{b} \bar{b}')_L (V_L^d)^\dagger \mathcal{M}_d (V_R^d) \begin{pmatrix} d \\ s \\ b \\ b' \end{pmatrix}_R + h.c.$$

$$(V_L^u)^\dagger \mathcal{M}_u (V_R^u) = \text{diag} (m_u, m_c, m_t, m_{t'}) \quad (V_L^d)^\dagger \mathcal{M}_d (V_R^d) = \text{diag} (m_d, m_s, m_b, m_{b'})$$

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Mixing in left- and right-handed sectors behave differently

$$\begin{cases} (V_L^q)^\dagger (\mathcal{M} \mathcal{M}^\dagger) (V_L^q) = \text{diag} \\ (V_R^q)^\dagger (\mathcal{M}^\dagger \mathcal{M}) (V_R^q) = \text{diag} \end{cases} \quad q_{L,R}^I \xrightarrow[V_{L,R}^q]{\times} q_{L,R}^J$$



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Singlets and triplets (case of up-type quarks)

$$V_L^u \Rightarrow \mathcal{M}_u \cdot \mathcal{M}_u^\dagger = \begin{pmatrix} \tilde{m}_u^2 + |x_1|^2 & x_1^* x_2 & x_1^* x_3 & x_1^* M \\ x_2^* x_1 & \tilde{m}_c^2 + |x_2|^2 & x_2^* x_3 & x_2^* M \\ x_3^* x_1 & x_3^* x_2 & \tilde{m}_t^2 + x_3^2 & x_3^* M \\ x_1 M & x_2 M & x_3 M & M^2 \end{pmatrix} \quad \begin{array}{l} \text{mixing in the left sector} \\ \text{present also for } \tilde{m}_q \rightarrow 0 \\ \hline \text{flavour constraints for } q_L \\ \text{are relevant} \end{array}$$

$$V_R^u \Rightarrow \mathcal{M}_u^\dagger \cdot \mathcal{M}_u = \begin{pmatrix} \tilde{m}_u^2 & & & \\ & \tilde{m}_c^2 & & \\ & & \tilde{m}_t^2 & \\ x_1 \tilde{m}_u & x_2 \tilde{m}_c & x_3 \tilde{m}_t & \sum_{i=1}^3 |x_i|^2 + M^2 \end{pmatrix} \quad \begin{array}{l} m_q \propto \tilde{m}_q \\ \hline \text{mixing is suppressed} \\ \text{by quark masses} \end{array}$$

Doublets: other way round

Now let's check how **couplings** are modified

this will allow us to identify which observables  
can constrain masses and mixing parameters

# Couplings

With  $Z$

$$\begin{aligned}\mathcal{L}_Z = & \frac{g}{c_W} (\bar{q}_1 \bar{q}_2 \bar{q}_3 \bar{q}'_1)_L (V_L^q)^\dagger \left[ (T_3^q - Q^q s_w^2) \begin{pmatrix} 1 \\ 1 \\ 1 \end{pmatrix} + (T_3^{q'} - T_3^q) \begin{pmatrix} 0 \\ 0 \\ 1 \end{pmatrix} \right] \gamma^\mu (V_L^q) \begin{pmatrix} q_1 \\ q_2 \\ q_3 \\ q' \end{pmatrix}_L Z_\mu \\ & + \frac{g}{c_W} (\bar{q}_1 \bar{q}_2 \bar{q}_3 \bar{q}'_1)_R (V_R^q)^\dagger \left[ (-Q^q s_w^2) \begin{pmatrix} 1 \\ 1 \\ 1 \end{pmatrix} + T_3^{q'} \begin{pmatrix} 0 \\ 0 \\ 1 \end{pmatrix} \right] \gamma^\mu (V_R^q) \begin{pmatrix} q_1 \\ q_2 \\ q_3 \\ q' \end{pmatrix}_R Z_\mu\end{aligned}$$

# Couplings

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$$+ \frac{g}{c_W} (\bar{q}_1 \bar{q}_2 \bar{q}_3 \bar{q}'_1)_R (V_R^q)^\dagger \left[ (-Q^q s_w^2) \begin{pmatrix} 1 \\ 1 \\ 1 \end{pmatrix} + T_3^{q'} \begin{pmatrix} 0 \\ 0 \\ 1 \end{pmatrix} \right] \gamma^\mu (V_R^q) \begin{pmatrix} q_1 \\ q_2 \\ q_3 \\ q' \end{pmatrix}_R Z_\mu$$

FCNC, are induced by the mixing with vector-like quarks!

$$g_{ZL}^{JJ} = \frac{g}{c_W} (T_3^q - Q^q s_w^2) \delta^{JJ} + \frac{g}{c_W} (T_3^{q'} - T_3^q) (V_L^*)^{q'1} V_L^{q'J}$$

$$g_{ZR}^{JJ} = \frac{g}{c_W} (-Q^q s_w^2) \delta^{JJ} + \frac{g}{c_W} T_3^{q'} (V_R^*)^{q'1} V_R^{q'J}$$

The diagram shows two equivalent representations of a quark-quark-Z vertex. On the left, a u quark line (with a cross) and a t' quark line (with a cross) meet at a vertex from which a Z boson (wavy line) emerges. On the right, a u quark line (with a cross) and a c quark line (with a cross) meet at a shaded circular contact vertex from which a Z boson (wavy line) emerges. The two diagrams are set equal to each other, followed by the proportionality symbol  $\propto (V_{L,R}^*)^{t'u} V_{L,R}^{c}$ .

# Couplings

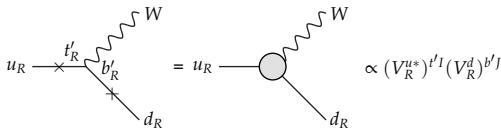
With  $W^\pm$

$$\begin{aligned} \mathcal{L}_{W^\pm} = & \frac{g}{\sqrt{2}} (\bar{u} \bar{c} \bar{t} | \bar{l}^{\prime})_L (V_L^u)^\dagger \left( \begin{array}{c|c} \tilde{V}_L^{\text{CKM}} & \\ \hline & 1 \end{array} \right) \gamma^\mu V_L^d \begin{pmatrix} d \\ s \\ b \\ b' \end{pmatrix}_L W_\mu^+ \\ & + \frac{g}{\sqrt{2}} (\bar{u} \bar{c} \bar{t} | \bar{l}^{\prime})_R (V_R^u)^\dagger \left( \begin{array}{c|c} 0 & \\ \hline 0 & 1 \end{array} \right) \gamma^\mu V_R^d \begin{pmatrix} d \\ s \\ b \\ b' \end{pmatrix}_R W_\mu^+ + h.c. \end{aligned}$$

CKM matrices for left and right handed sector:

$$g_{WL} = \frac{g}{\sqrt{2}} (V_L^u)^\dagger \left( \begin{array}{c|c} \tilde{V}_{\text{CKM}} & \\ \hline & 1 \end{array} \right) V_L^d \equiv \frac{g}{\sqrt{2}} V_L^{\text{CKM}} \quad g_{WR} = \frac{g}{\sqrt{2}} (V_R^u)^\dagger \left( \begin{array}{c|c} 0 & \\ \hline 0 & 1 \end{array} \right) V_R^d \equiv \frac{g}{\sqrt{2}} V_R^{\text{CKM}}$$

If BOTH  $t'$  and  $b'$  are present  $\rightarrow$  CC between right-handed quarks



# Couplings

## With Higgs

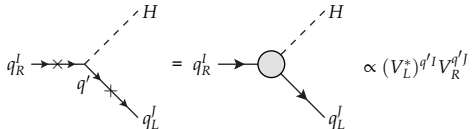
$$\mathcal{L}_h = \frac{1}{v} (\bar{q}_1 \bar{q}_2 \bar{q}_3 \bar{q}'_1)_L (V_L^q)^\dagger \left[ \mathcal{M}_q - M \begin{pmatrix} 0 & & & \\ & 0 & & \\ & & 0 & \\ & & & 1 \end{pmatrix} \right] (V_R^q) \begin{pmatrix} q_1 \\ q_2 \\ q_3 \\ q' \end{pmatrix}_R h + h.c.$$

The coupling is:

$$C = \frac{1}{v} (V_L^q)^\dagger \mathcal{M}_q (V_R^q) - \frac{M}{v} (V_L^q)^\dagger \begin{pmatrix} 0 & & & \\ & 0 & & \\ & & 0 & \\ & & & 1 \end{pmatrix} (V_R^q) = \frac{1}{v} \begin{pmatrix} m_{q_1} & & & \\ & m_{q_2} & & \\ & & m_{q_3} & \\ & & & m_{q'} \end{pmatrix} - \frac{M}{v} (V_L^q)^\dagger \begin{pmatrix} 0 & & & \\ & 0 & & \\ & & 0 & \\ & & & 1 \end{pmatrix} (V_R^q)$$

FCNC induced by vector-like quarks are present in the Higgs sector too!

$$C^{IJ} = \frac{1}{v} m_I \delta^{IJ} - \frac{M}{v} (V_L^*)^{q'I} V_R^{q'J}$$

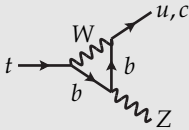


# Outline

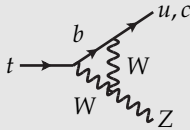
- 1 Motivations and Current Status
- 2 The effective lagrangian
- 3 Constraints on model parameters**
- 4 Signatures at LHC

# Rare FCNC top decays

Suppressed in the SM, tree-level with  $t'$



$BR(t \rightarrow Zq) = \mathcal{O}(10^{-14})$   
SM prediction



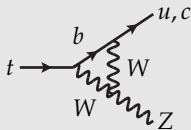
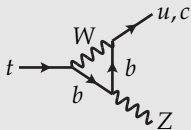
$BR(t \rightarrow Zq) < 0.24\%$   
measured at CMS @  $5 \text{ fb}^{-1}$





# Rare FCNC top decays

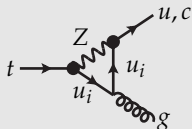
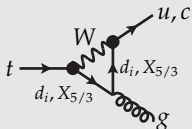
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Loop decays with both SM and vector-like quarks

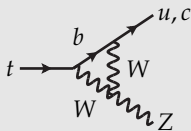
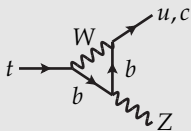


$BR(t \rightarrow Zq) = \mathcal{O}(10^{-12})$  SM prediction

$BR(t \rightarrow gu) < 5.7 \times 10^{-5}$   
 $BR(t \rightarrow gc) < 2.7 \times 10^{-4}$  ATLAS @  $2.5 \text{ fb}^{-1}$

# Rare FCNC top decays

Suppressed in the SM, tree-level with  $t'$



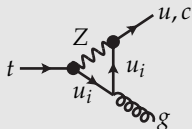
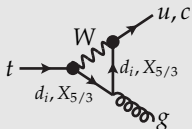
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SM prediction

$$BR(t \rightarrow gu) < 5.7 \times 10^{-5}$$

$$BR(t \rightarrow gc) < 2.7 \times 10^{-4}$$

ATLAS @  $2.5 \text{ fb}^{-1}$

Bound on mixing parameters  $\implies BR(t \rightarrow Zq, gq) = f(V_{L,R}^{q'u}, V_{L,R}^{q'c}, V_{L,R}^{q't}) \leq BR^{exp}$

# $Zc\bar{c}$ and $Zb\bar{b}$ couplings

## Coupling measurements

$$\begin{cases} g_{ZL}^c = 0.3453 \pm 0.0036 \\ g_{ZR}^c = -0.1580 \pm 0.0051 \end{cases} \begin{cases} g_{ZL}^b = -0.4182 \pm 0.00315 \\ g_{ZR}^b = 0.0962 \pm 0.0063 \end{cases}$$

data from LEP EWG

$$g_{ZL,ZR}^q = (g_{ZL,ZR}^q)^{SM} (1 + \delta g_{ZL,ZR}^q)$$

$$\begin{cases} g_{ZL}^c = 0.34674 \pm 0.00017 \\ g_{ZR}^c = -0.15470 \pm 0.00011 \end{cases} \begin{cases} g_{ZL}^b = -0.42114^{+0.00045}_{-0.00024} \\ g_{ZR}^b = 0.077420^{+0.000052}_{-0.000061} \end{cases}$$

SM prediction

## Asymmetry parameters

$$A_q = \frac{(g_{ZL}^q)^2 - (g_{ZR}^q)^2}{(g_{ZL}^q)^2 + (g_{ZR}^q)^2} = A_q^{SM} (1 + \delta A_q)$$

$$\begin{cases} A_c = 0.670 \pm 0.027 \\ A_b = 0.923 \pm 0.020 \end{cases}$$

PDG fit

$$\begin{cases} A_c = 0.66798 \pm 0.00055 \\ A_b = 0.93462^{+0.00016}_{-0.00020} \end{cases}$$

SM prediction

## Decay ratios

$$R_q = \frac{\Gamma(Z \rightarrow q\bar{q})}{\Gamma(Z \rightarrow \text{hadrons})} = R_q^{SM} (1 + \delta R_q)$$

$$\begin{cases} R_c = 0.1721 \pm 0.0030 \\ R_b = 0.21629 \pm 0.00066 \end{cases}$$

PDG fit

$$\begin{cases} R_c = 0.17225^{+0.00016}_{-0.00012} \\ R_b = 0.21583^{+0.00033}_{-0.00045} \end{cases}$$

SM prediction

# Atomic Parity Violation

Atomic parity is violated through exchange of Z between nucleus and atomic electrons

## Weak charge of the nucleus

$$Q_W = \frac{2c_W}{g} \left[ (2Z + N)(g_{ZL}^u + g_{ZR}^u) + (Z + 2N)(g_{ZL}^d + g_{ZR}^d) \right] = Q_W^{SM} + \delta Q_W^{VL}$$

$$\text{From Z couplings} \quad \begin{cases} \frac{2c_W}{g} g_{ZL}^{qq} = 2(T_3^q - Q^q s_W^2) + 2(T_3^{q'} - T_3^q) |V_L^{q'q}|^2 \\ \frac{2c_W}{g} g_{ZR}^{qq} = 2(-Q^q s_W^2) + 2(T_3^{q'}) |V_R^{q'q}|^2 \end{cases}$$

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$$\delta Q_W^{VL} = 2 \left[ (2Z + N) \left( (T_3^{u'} - \frac{1}{2}) |V_L^{u'u}|^2 + T_3^{u'} |V_R^{u'u}|^2 \right) + (Z + 2N) \left( (T_3^{d'} + \frac{1}{2}) |V_L^{d'd}|^2 + T_3^{d'} |V_R^{d'd}|^2 \right) \right]$$

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$$Q_W = \frac{2c_W}{g} \left[ (2Z + N)(g_{ZL}^u + g_{ZR}^u) + (Z + 2N)(g_{ZL}^d + g_{ZR}^d) \right] = Q_W^{SM} + \delta Q_W^{VL}$$

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$$\delta Q_W^{VL} = 2 \left[ (2Z + N) \left( (T_3^{q'} - \frac{1}{2}) |V_L^{q'u}|^2 + T_3^{q'} |V_R^{q'u}|^2 \right) + (Z + 2N) \left( (T_3^{b'} + \frac{1}{2}) |V_L^{b'd}|^2 + T_3^{b'} |V_R^{b'd}|^2 \right) \right]$$

## Bounds from experiments

Most precise test in Cesium  $^{133}\text{Cs}$ :

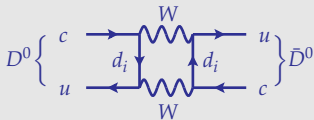
$$Q_W(^{133}\text{Cs})|_{\text{exp}} = -73.20 \pm 0.35 \quad Q_W(^{133}\text{Cs})|_{\text{SM}} = -73.15 \pm 0.02$$

# Flavour constraints

example with  $D^0 - \bar{D}^0$  mixing and  $D^0 \rightarrow l^+ l^-$  decay

## In the SM

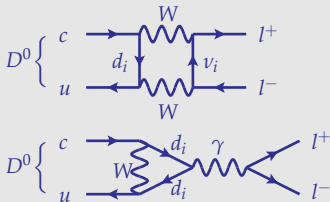
Mixing ( $\Delta C = 2$ ):



$$x_D = \frac{\Delta m_D}{\Gamma_D} = 0.0100^{+0.0024}_{-0.0026}$$

$$y_D = \frac{\Delta \Gamma_D}{2\Gamma_D} = 0.0076^{+0.0017}_{-0.0018}$$

Decay ( $\Delta C = 1$ ):



$$BR(D^0 \rightarrow e^+ e^-)_{exp} < 1.2 \times 10^{-6}$$

$$BR(D^0 \rightarrow \mu^+ \mu^-)_{exp} < 1.3 \times 10^{-6}$$

$$BR(D^0 \rightarrow \mu^+ \mu^-)_{th,SM} = 3 \times 10^{-13}$$

# Flavour constraints

example with  $D^0 - \bar{D}^0$  mixing and  $D^0 \rightarrow l^+ l^-$  decay

## Contributions at tree level

Mixing ( $\Delta C = 2$ ):



$$\delta x_D = f(m_D, \Gamma_D, m_c, m_Z, g_{ZL}^{uc}, g_{ZR}^{uc})$$

Decay ( $\Delta C = 1$ ):



$$\delta BR = g(m_D, \Gamma_D, m_l, m_Z, g_{ZL}^{uc}, g_{ZR}^{uc})$$



# Flavour constraints

example with  $D^0 - \bar{D}^0$  mixing and  $D^0 \rightarrow l^+ l^-$  decay

## Contributions at tree level

Mixing ( $\Delta C = 2$ ):



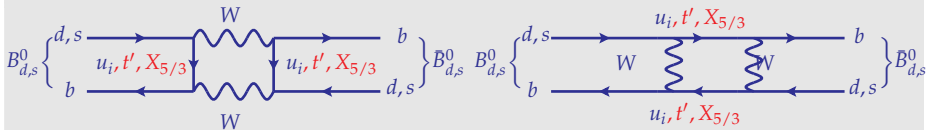
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Decay ( $\Delta C = 1$ ):



$$\delta BR = g(m_D, \Gamma_D, m_l, m_Z, g_{ZL}^{uc}, g_{ZR}^{uc})$$

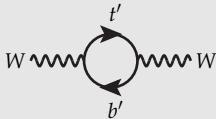
## Contributions at loop level



- Relevant only if tree-level contributions are absent
- Possible sources of CP violation

# EW precision tests and CKM

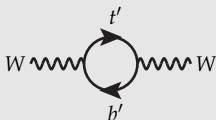
## EW precision tests



Contributions of new fermions  
to S,T,U parameters

# EW precision tests and CKM

## EW precision tests



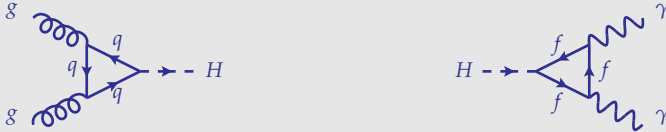
Contributions of new fermions  
to S,T,U parameters

## CKM measurements

- Modifications to CKM relevant for **singlets and triplets** because mixing in the left sector is NOT suppressed
- The CKM matrix is not **unitary** anymore
- If BOTH  $t'$  and  $b'$  are present, a CKM for the **right sector** emerges

# Higgs coupling with gluons/photons

Production and decay of Higgs at the LHC

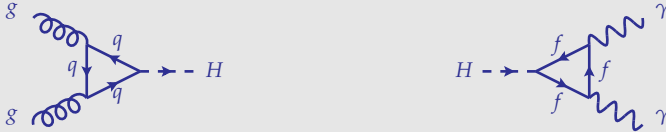


New physics contributions mostly affect loops of heavy quarks  $t$  and  $q'$ :

$$\kappa_{gg} = \kappa_{\gamma\gamma} = \frac{v}{m_t} g_{ht\bar{t}} + \frac{v}{m_{q'}} g_{hq'\bar{q}'} - 1$$

# Higgs coupling with gluons/photons

Production and decay of Higgs at the LHC



New physics contributions mostly affect loops of heavy quarks  $t$  and  $q'$ :

$$\kappa_{gg} = \kappa_{\gamma\gamma} = \frac{v}{m_t} g_{ht\bar{t}} + \frac{v}{m_{q'}} g_{hq'\bar{q}'} - 1$$

The couplings of  $t$  and  $q'$  to the Higgs boson are:

$$g_{ht\bar{t}} = \frac{m_t}{v} - \frac{M}{v} V_L^{*,t't} V_R^{t't} \quad g_{hq'\bar{q}'} = \frac{m_{q'}}{v} - \frac{M}{v} V_L^{*,q'q'} V_R^{q'q'}$$

In the SM:  $\kappa_{gg} = \kappa_{\gamma\gamma} = 0$

The contribution of just one VL quark to the loops turns out to be negligibly small

Result confirmed by studies at NNLO

# Outline

- 1 Motivations and Current Status
- 2 The effective lagrangian
- 3 Constraints on model parameters
- 4 Signatures at LHC

# Production channels

Vector-like quarks can be produced  
in the same way as SM quarks **plus** FCNCs channels

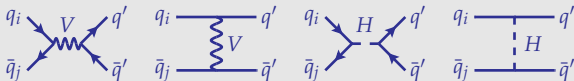
- **Pair production**, dominated by QCD and sensitive to the  $q'$  mass independently of the representation the  $q'$  belongs to
- **Single production**, only EW contributions and sensitive to both the  $q'$  mass and its mixing parameters

# Production channels

Pair production:  $pp \rightarrow q'\bar{q}'$

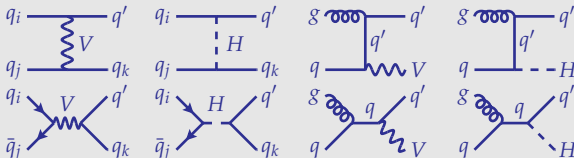


Purely QCD diagrams  
(dominant contribution)



Purely EW diagrams  
FCNC channels, but  
suppressed wrt to QCD

Single production:  $pp \rightarrow q' + \{q, V, H\}$

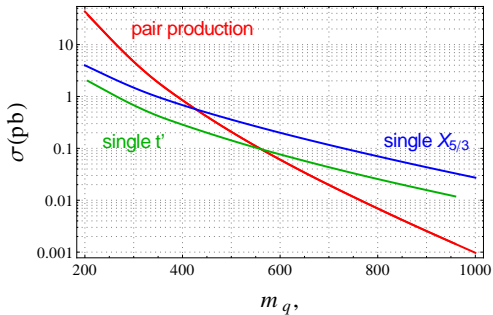


EW+QCD diagrams  
potentially relevant  
FCNC channel



# Production channels

Pair vs single production, example with non-SM doublet ( $X_{5/3} t'$ )

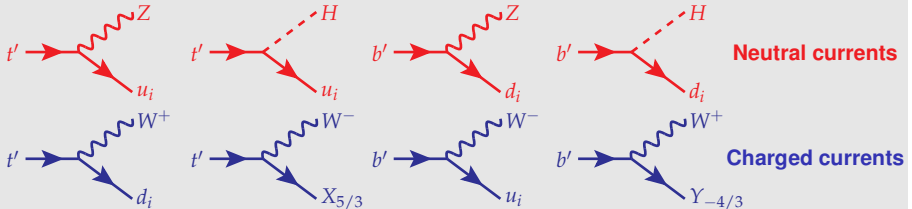


**pair production** depends only on the mass of the new particle and **decreases faster** than single production due to different **PDF scaling**

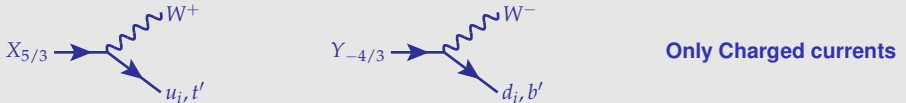
current **bounds from LHC** are around the region where (model dependent) **single production dominates**

# Decays

## SM partners



## Exotics

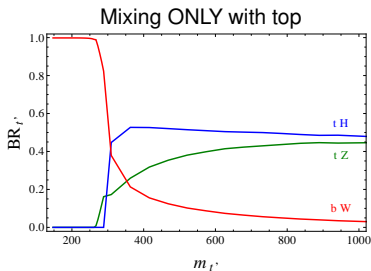


**Not all decays may be kinematically allowed**

it depends on **representations** and **mass differences**

# Decays of $t'$

Examples with non-SM doublet ( $X_{5/3} t'$ )



**Bounds at  $\sim 600$  GeV assuming**

$$BR(t' \rightarrow bW) = 100\%$$

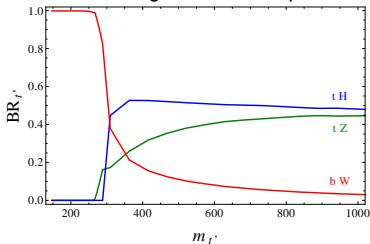
**or**

$$BR(t' \rightarrow tZ) = 100\%$$

# Decays of $t'$

Examples with non-SM doublet ( $X_{5/3} t'$ )

Mixing ONLY with top



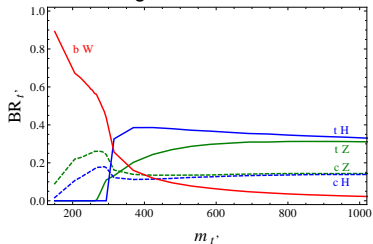
**Bounds at  $\sim 600$  GeV assuming**

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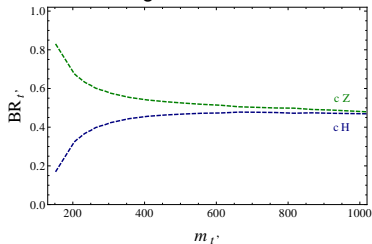
**or**

$$BR(t' \rightarrow tZ) = 100\%$$

Mixing ALSO with charm



Mixing ONLY with charm



Charge	Resonant state	After $t'$ decay
0	$t'\bar{t}'$	$t\bar{t} + \{ZZ, ZH, HH\}$ $tj + \{ZZ, ZH, HH\}$ $jj + \{ZZ, ZH, HH\}$ $tW^- + \{b, j\} + \{Z, H\}$ $W^+W^- + \{bb, bj, jj\}$
	$t'\bar{u}_i \quad t'\bar{t}$	$t\bar{t} + \{Z, H\}$ $tj + \{Z, H\}$ $jj + \{Z, H\}$ $tW^- + \{b, j\}$ $W^\pm + \{bj, jj\}$
1/3	$t'd_i \quad t'b$	$t + \{b, j\} + \{Z, H\}$ $\{bj, jj\} + \{Z, H\}$ $W^\pm + \{bb, bj, jj\}$
	$W^+\bar{t}'$	$tW^- + \{Z, H\}$ $jW^- + \{Z, H\}$ $W^+W^- + \{b, j\}$
2/3	$t'Z \quad t'H$	$t + \{ZZ, ZH, HH\}$ $W^\pm + \{b, j\} + \{Z, H\}$
1	$t'\bar{d}_i \quad t'\bar{b}$	$t + \{b, j\} + \{Z, H\}$ $\{bj, jj\} + \{Z, H\}$ $W^\pm + \{bb, bj, jj\}$
4/3	$t't'$	$tt + \{ZZ, ZH, HH\}$ $tj + \{ZZ, ZH, HH\}$ $jj + \{ZZ, ZH, HH\}$ $tW^+ + \{b, j\} + \{Z, H\}$ $W^\pm W^\pm + \{bb, bj, jj\}$
	$t'u_i \quad t't$	$tt + \{Z, H\}$ $tW^+ + \{b, j\}$ $tj + \{Z, H\}$ $W^\pm + \{bj, jj\}$

**Possible final states  
from pair and single production of  $t'$   
in general mixing scenario**

only 2 effectively tested since now

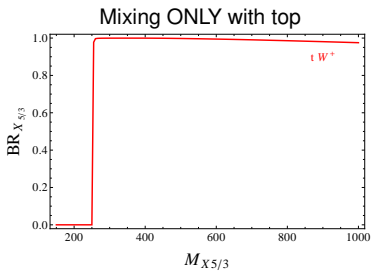
# Signatures of $X_{5/3}$

Current searches vs general mixing scenario

based on arXiv:1211.4034, accepted by JHEP

# Decays of $X_{5/3}$

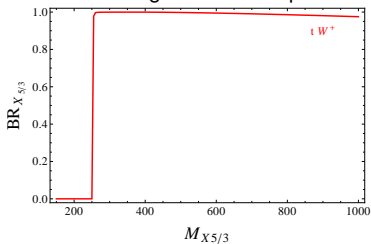
Examples with non-SM doublet ( $X_{5/3} t'$ )



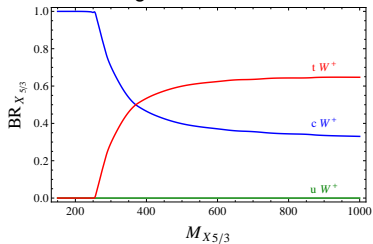
# Decays of $X_{5/3}$

Examples with non-SM doublet ( $X_{5/3} t'$ )

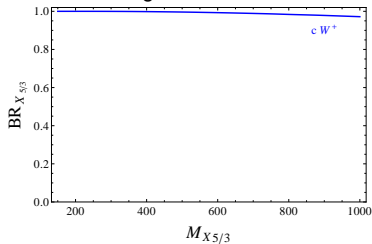
Mixing ONLY with top



Mixing ALSO with charm



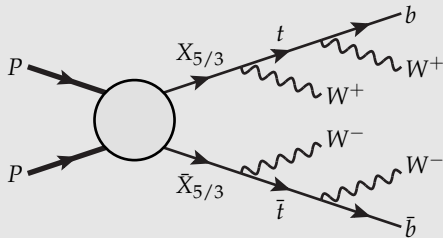
Mixing ONLY with charm





# Current bounds

## Direct pair $X_{5/3}$ searches



ATLAS search with  $4.7fb^{-1}$

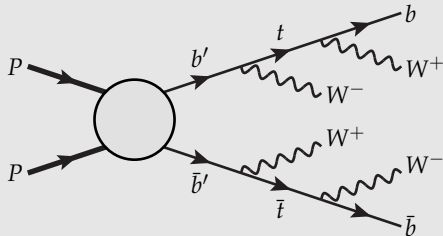
Assumption

$$BR(X_{5/3} \rightarrow W^+t) = 100\%$$

same-sign dilepton +  $\geq 2$  jets

$$m_{X_{5/3}} \geq 670GeV$$

## Pair $b'$ searches



CMS search with  $5fb^{-1}$

Assumption

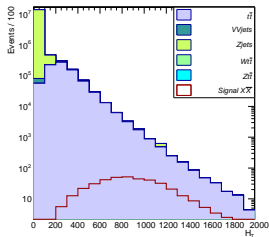
$$BR(b' \rightarrow W^-t) = 100\%$$

same-sign dilepton + jets

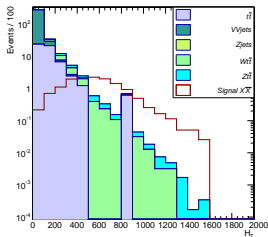
$$m_{b'} \geq 675GeV$$

# Selection of kinematical cuts

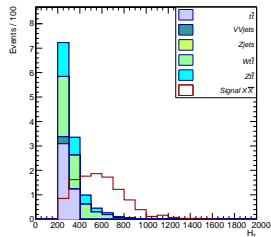
Base selection



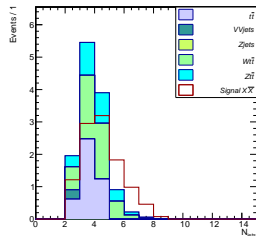
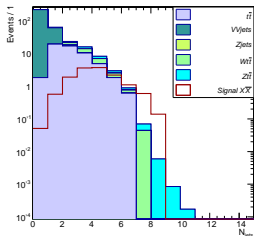
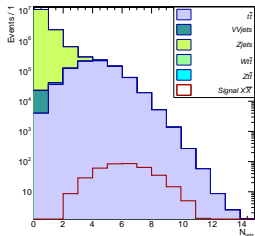
same-sign dilepton  
to kill most of the background



$\left\{ \begin{array}{l} \geq 2\text{jets} \\ H_T > 200 \text{ GeV} \\ R_{l\bar{l}} > 0.5 \end{array} \right.$ 
to kill VV+jets  
to reduce  $t\bar{t}$



$H_T$



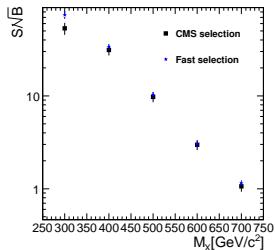
$N_{\text{jets}}$

# Comparison of selections

CMS selection:  $\left\{ \begin{array}{l} 2 \text{ same-sign leptons} \\ \geq 4 \text{ jets} \\ H_T \geq 300 \text{ GeV} \\ Z \text{ veto: } M_{ll} \geq 106 \text{ GeV}, M_{ll} \leq 76 \text{ GeV} \end{array} \right.$

Our selection:  $\left\{ \begin{array}{l} 2 \text{ same-sign leptons} \\ \geq 2 \text{ jets} \\ H_T \geq 200 \text{ GeV} \\ R_{lj} > 0.5 \end{array} \right.$

Full Signal  
(BRs depend on mass)



**Our bounds**  
**observation: 561 GeV**  
**discovery: 609 GeV**

# Comparison of selections

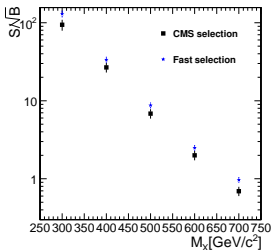
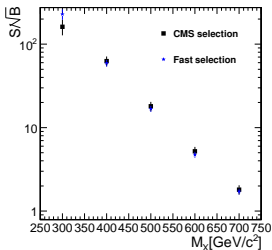
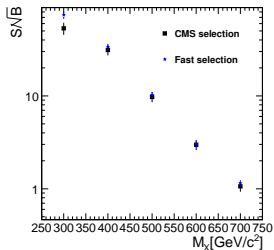
CMS selection:  $\left\{ \begin{array}{l} 2 \text{ same-sign leptons} \\ \geq 4 \text{ jets} \\ H_T \geq 300 \text{ GeV} \\ Z \text{ veto: } M_{ll} \geq 106 \text{ GeV}, M_{ll} \leq 76 \text{ GeV} \end{array} \right.$

Our selection:  $\left\{ \begin{array}{l} 2 \text{ same-sign leptons} \\ \geq 2 \text{ jets} \\ H_T \geq 200 \text{ GeV} \\ R_{lj} > 0.5 \end{array} \right.$

Full Signal  
(BRs depend on mass)

Only  $WtWt$  channel

Only  $WtWc$  channel



**Our bounds**  
**observation: 561 GeV**  
**discovery: 609 GeV**

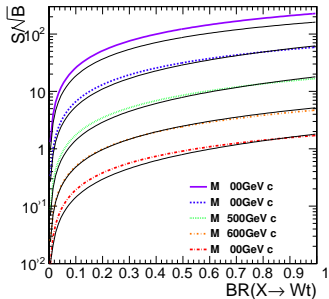
**Our selection is more effective for  $WtWc$  channel**  
**not considered in CMS study**

(well, it has been designed exactly for this purpose...)

# Comparison of selections

Branching ratio as free parameter

$$BR(X_{5/3} \rightarrow W^+t) = b \quad \text{and} \quad BR(X_{5/3} \rightarrow W^+u, W^+c) = 1 - b$$



CMS search well reproduced for  $BR(W^+t) = 1$

Search more sensitive for  $BR(W^+t) < 1$

# Conclusions and Outlook

- **Vector-like quarks** are a very promising playground for searches of new physics
- Fairly **rich phenomenology at the LHC** and many possible channels to explore
  - Signatures of single and pair production of VL quarks are **accessible at current CM energy and luminosity** and have been explored to some extent
  - Current bounds on masses around **500-600 GeV**, but searches are not fully optimized for **general scenarios**.